

**Problem 2** Let  $L$  be the language defined by the regular expression:

$$(ab^*d \cup c^*d)^*(dcc \cup a^*)d$$

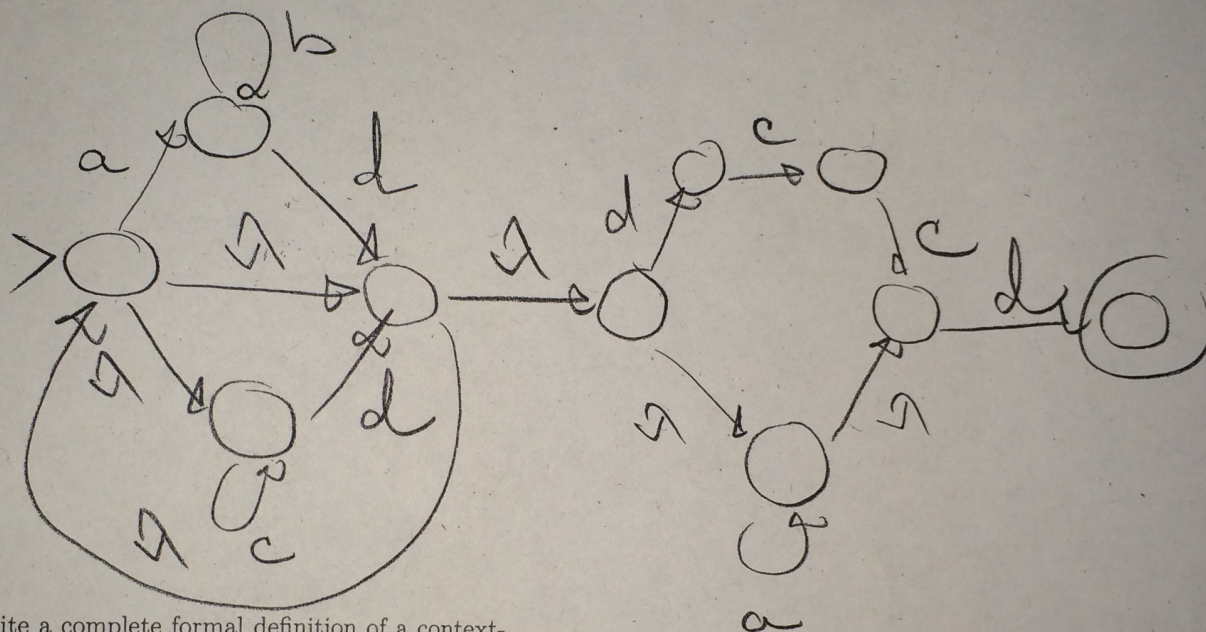
LAST NAME: \_\_\_\_\_

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Solution

(a) Draw a state-transition graph of a finite automaton that accepts the language  $L$ . If such an automaton does not exist, state it and explain why.

Answer:



(b) Write a complete formal definition of a context-free grammar that generates the language  $L$ . If such a grammar does not exist, state it and explain why.

Answer:

$$G = (V, \Sigma, P, S)$$

$$\Sigma = \{a, b, c, d\}$$

$$V = \{S, A, B, K, D, E\}$$

$$P: \begin{aligned} S &\rightarrow E D d \\ E &\rightarrow \Lambda / E E / a B d / K d \\ B &\rightarrow b B / \Lambda \\ K &\rightarrow c K / \Lambda \\ D &\rightarrow d c c / A \\ A &\rightarrow a A / \Lambda \end{aligned}$$